

CSCE 313: Embedded Systems

Final Project

Instructor: Jason D. Bakos



Final Project

- Next (final) class on 4/29 will meet in 3D22
- Final exam on 5/6 @4:00 to 6:30pm
 - Covers:
 - Memory-mapped I/O
 - Bare metal programming concepts
 - Floating-point vs fixed point
 - Performance analysis
 - Image transformations and Mandelbrot
 - Consecutive vs X-Y frame addressing
- Final project due on May 6 @11:59 p.m.
 - Objective:
 - Begin with Lab 5
 - Convert all floating-point computations to fixed-point
 - Compare CPI and instruction count of innermost loop body with Lab 6



Fixed-Point

- Use a fixed-point representation for:
 - z ("x" and "y")
 - c ("x0" and "y0")
 - min_x, max_x, min_y, max_y
 - x^2+y^2 (for checking for divergence)

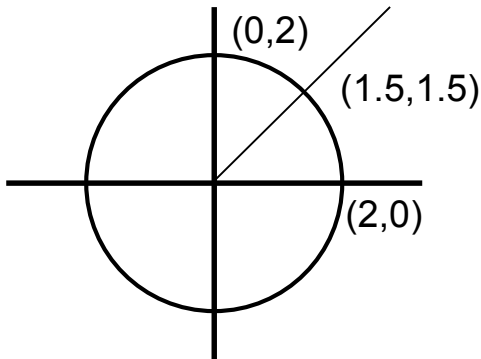


Fixed-Point Review

- Recall: fixed-point has fixed range
 - Recall: Range of non-fixed-point n-bit integer:
 - $-2^{n-1} \leq \text{val} \leq 2^{n-1}-1$
 - Range of signed (n,m) value:
 - $-2^{n-m-1} \leq \text{val} \leq 2^{n-m-1} - 2^{-m}$
 - Need to decide where to set decimal point
 - For c, [min|max]_[x|y]:
 - Need to represent values from -2 to 2
 - Use (32,29) representation for [-4,4) (to include +2)
 - z should cover the worst case for a diverged pixel
 - x^2+y^2 should cover the worst case for the r^2 of a diverged pixel



Worst Case Analysis (Assuming All Signed)



z	c	P(z) $(z_x^2 - z_y^2 + c_x, 2z_x z_y + c_y)$	LHS bits	$z_x^2 + z_y^2$	LHS bits
(0,2)	(0,2)	(-4,2)	4	20	7
(0,2)	(2,0)	(-2,0)	3	4	4
(2,0)	(0,2)	(4,2)	4	20	6
(2,0)	(2,0)	(6,0)	4	36	7
(1.5,1.5)	(1.5,1.5)	(1.5,6)	4	38.25	7



Range and Precision

- For r^2 , need 7 bits the left on LHS: (32,25)
- Problem:
 - Multiply (32,n) val with (32,m) val \Rightarrow (64,n+m) val
 - (32,25) \times (32,25) = (64,50)
 - Using only the lower 32 bits would cause the loss of all LHS bits and the 18 MS RHS bits
- Need a way to preserve 64-bit product

Example Fixed Point Multiply

- Multiply $A = (32, n)$ val and $B = (32, m)$ val, need $C = (32, o)$ product:
 - Declare A and B as "alt_32"
 - Declare C as "alt_64"
 - Cast A and B as "alt_64",
 - $C = (\text{alt_64})A * (\text{alt_64})B;$
 - Convert C from $(64, n+m)$ to $(32, o)$:
 - Shift C $(n+m)-o$ bits to the right
 - Return C as alt_32

