 HWY due Frider Honder 2009/03/16 3/1/2009
 Instructions
• Show all your stepsanswers alone are not sufficient.
 Homework must be done neatly.
 • Use straight-edged paper (no notebook tear-outs with ragged edges).
Please STAPLE papers to a signed cover sheet.
Homework Problems
Problem 5.4 (a). Plot the expression on a 4-variable K-map. (10 points)
Problem 5.4 (b). Simplify the K-map from 5.4 (a) into SOP form. Begin with a fresh map. (10 points)
Problem 5.4 (c). Simplify the K-map from 5.4 (a) into POS form. Begin with a fresh map. (10 points)
Problem 5.6 (a). To work use guideline summary from class; ignore "essential prime implicants." (20 points)
Problem 5.8 (a). (Note that the problem asks for both SOP and POS simplifications.) (20 points)
Problem 5.12 (c). (POS simplification.) (10 points)
Problem 5.21 (b). (Note that POS form is requested even though the problem statement is given in min-terms.) Plot the min-term map, then redraw
 with 0's, and group the 0's. (20 points)

Sec	5.3	Ŷ	Guv-	- vorieble	Kornova Maps			
AE		A		-	0			
CD	00	01	11	10	-			
00	0	4	12	8	-			
01	1	5	13	9	ZD			
_	3	7	15	11				
/ 10	2	6	14	10	-			
Figure 5-10: Location of Minterms on Four-Variable Karnaugh Map								







Figure 5-13: Simplification of an Incompletely Specified Function

linportant for Circuit 2







Fug. 5-17 p. 150 Definition; CD AB 00 AB CD 00 01 01 11 10 11 10 essential prime 00 00 implicant. 01 ´1 01 1 11 A prime implicant is essential CD 10 10 if it is the only onlyprine implicant m₁₄ that covers some unisterm, f = BD + B'C + ACf = CD + BD + B'C + AC(b) (a) Ex. :- BD is essential, becaux no other paine implicant cover, M5 • A C and B C on also essential • CD is not essential Here, cD is chosen first Here, on of the other prime implicants is chosen first

Theorem (p. 231; p. 621) If a given mintern and all the I's cD 00 01 11 10 adjacent toit are covered by a single 00 12 form, then that form is an essential A'C' 01 1 prime implicant (1) 1) 11 -ACD Example (cf. Figure 5.18); 15 • A'C' is an essential prime implicant, because mintarn 0001, (=1,0) and all the ones adjacent to it (0, 4, 5) are covered by A'C'. 10 10 A'B'D Figure 5-18 Decause mintern 10112 (=1110) out all the one, adjacent toit (15) . A 'B'D' is an assential prime implicant, be aver mintern 10112(=2,0) one all the ones adjacent to it (0) are covered by it. . There are no other essential prime implicants



P.132

5. In combining squares on the map, always begin with those squares for which there are the fewest number of adjacent squares (the "loneliest" squares on the map). Minterms with multiple adjacent minterms (called *adjacencies*) offer more possible combinations and

on the web gite

covered.

F= A'B + A B'D' + AC'D. Choose ly. Find its (Xo, to, Is CD 00 11 01 Fond X nerghbors. Con you 00 X₀ 14 1₈ cover them with esingle "loop ?? (1₁₃ 01 1₅ 1₉ No (Shaded 1's are covered by · · · (18, 15, 113, 119) only one prime implicant. 11 X₇ X₁₅ Choose of Its nerghbors is for in (1_{6}) 10 **1**₁₀ We can cover I and In with Figure 5-20 e loop, so A'DD'is en essential prime implicent. Choose 1, Dits neighbor is 10 ABD is en essented portre implicant. The only ones left one I and Ig which overcover by the princimplicant A C'D

Exercise 09 01 61 10 Find the minimum sum-of products ÐD = mo + m2 + m5 + m6 f/a, b, c, d) 13 Q. A'BCD is an essential prime implication because it covers my (and all its adjucent mus), A'CD is an essential prime implicant Decause it covers in and all its adjucent ones (nomely, mz). 0 15 11 З. $\mathbf{7}$ 11 14 10 6 10 A'BO .. on essential prime implicant, Decouse it covers m end all its adjocent ones (nomely, m2). So, f=A'Bc'0+A'BD+A'CD Al ones ore averel.

Everale 5.3 0 mnimm som-of-products for 00 5 (a) fita, b, c) = mot m2 + m5 + m6 1 0 3 7 AB'C+A'C'+BC' F/ B /all terms are essential prime implicants) (b) fr(d, e, f)= Zm (0, 1, 2, y) 0 E'F' + DF' + 0E' =θp 5 = (in bexnes graphical order)= D'E'+D'F'+E'F' 0 (all terms are essented porter implicent?) ld

f3 (r, s, t)= rt +r's'+r's ΘP 5 r'is on essential priminghout, because m, and allits adjacent ones (nonnely, mo and m;) are covered by v' Ł 01 rtt 2 $f_{4}(x, y, z) = M_{o} \cdot M_{5} = (x' + y' + z') \cdot (x + y' + z)$ Ð fy= xyZ+x'yZ'. Plot (fy), then complement. 00 5 13 and all its adjacent ones (1,) are covered by X 2 01 7 18 and all its affacent ones (14) are covered by X2' The remaining Is are covered by Y. 8 Z fy (x,y,Z) = y+xZ+XZ' 10

Ex 5.13 11 10 F(A,B,C,D) = A'C' + B'C + ACO + BC'D00 14 and all its adjacentones (1 and 1,5) are covered by A'C' (essential) 01 1,3 and ell its edjacent ones (1,) are covered by BC'D (essential) 15 11 Iz and all its adjacentones (13, 1,0) are 6 14 10 covered by B'C (essential) Ing and all its adjucent ones (1,0) are covered by AGD! So, the original expression is minimal. still essentials, since If mo is a don't nove, nothing changes, because A'C' دى it covers 14 and all its neighbors (12, 15, X.). Similarly for the other untiterns, except: If mis is a don't core, then BC'D is not needed. If miy is a don't core, then ACD' is not needed.

















 $F(A, B, C, D, E) = \sum m(O, I)$









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Other Uses of Kornergh Maps (Section 5,6)



