

These notes were taken by Sharon Xi during a CSCE 582 class taught by Marco Valtorta on October 28, 2003. The terminology is standard, but the direct source of much of it is a draft paper sent by Jirka Vomlel to Marco Valtorta yesterday. Columbia, SC, 03-10-28

T: test  
A: the hypothesis

$P(T, A) =$

		A	
	T	yes	no
yes		tp	fp
no		fn	tn

tp: the number of true positives (A happened and T reports that it did)  
 fp: the number of false positives (A did not happen and T reports that it did)  
 tn: the number of true negatives (A happened and T reports that it did not)  
 fn: the number of false negatives (A did not happen and T reports that it did not)

$$\frac{tp}{tp + fp} = P(A = \text{yes} | T = \text{yes}) = \text{Precision of the test or positive predictive value}$$

$$\frac{tp}{tp + fn} = P(T = \text{yes} | A = \text{yes}) = \text{Sensitivity or recall or true positive rate}$$

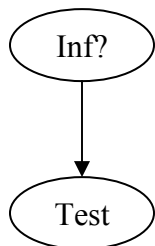
$$\frac{tn}{tn + fp} = P(T = \text{no} | A = \text{no}) = \text{Specificity or true negative rate or selectivity}$$

$$\frac{fp}{fp + tn} = P(T = \text{yes} | A = \text{no}) = \text{False positive rate or **type I error**}$$

$$\frac{fn}{fn + tp} = P(T = \text{no} | A = \text{yes}) = \text{False negative rate or **type II error**}$$

$$\frac{tn}{tn + fn} = P(A = \text{no} | T = \text{no}) = \text{Negative predictive value}$$

$$\frac{tp + tn}{tp + tn + fp + fn} = P(A = \text{yes}) = \text{Accuracy}$$



$P(\text{Test} | \text{Inf?}) =$

		Inf?	
	Test	yes	no
yes		sensitivity	false positive rate
no		flase negative rate	specificity

Notes: Vomlel suggests using the term reliability as a generic term for the “quality” of an information source; for example, the reliability of a test could be the average of the sensitivity and specificity of that test. Some authors instead use reliability as a synonym for specificity.